

Literacy Strategies

SQRQCQ

The **SQRQCQ** literacy strategy was specially designed to assist students in learning mathematics. The steps include the following:

- | | |
|-----------------|--|
| SURVEY | First, the students survey the problem rather quickly to get a general idea or understanding of it. |
| QUESTION | Then they come up with questions — what they believe the problem is asking for. |
| REREAD | The third step is to reread the problem to identify facts, relevant information, and details they will need to solve it. |
| QUESTION | Now another question is formulated that focuses on what mathematical operation(s) to apply. |
| COMPUTE | The students actually compute the answer — solving the problem. |
| QUESTION | The question to be asked at this point involves the accuracy of the answer. Is it correct? Does the answer make sense? |

A transparency master is included in this chapter that you can use with your students to help them see the steps involved in using **SQRQCQ**.

In fact, **SQRQCQ** is almost like a “secret” for solving word problems, which have long been a nemesis for nearly every math student. When students encounter a word problem, they frequently think, “I have never been good at word problems, and this time will be no different.” In actuality, what most students need is a plan to attack a problem systematically and to make the best use of all the information that the problem offers. Below we will look at some actual examples in which **SQRQCQ** helps them to do just that:

Suppose that students are given the following problem:

*Chris had some glass bears. He was given 8 more for his birthday.
Now he has 15. How many glass bears did he have before?*

Using **SQRQCQ**, students would:

- **SURVEY** the problem and notice that Chris has 8 items and receives some more to make a total of 15 items.
- The **QUESTION** the problem is asking would seem to be “How many items did he start out with?”
- **REREADING** would cause students to think “8 plus some number equals 15.”
- Students would **QUESTION** themselves:

When I know a sum and one of the two addends, how can I find the other addend? or If $8 + N = 15$, the how can I find N ?

The students would realize that they have to subtract to find the answer, since subtraction is the inverse operation of addition.

- Next, they would **COMPUTE** the solution to the equation as follows:

$$\begin{aligned}8 + N &= 15 \\8 - 8 + N &= 15 - 8 \\N &= 7\end{aligned}$$

- Finally, they would **QUESTION** themselves again:

Is it true that $7 + 8 = 15$? or if Chris started with 7 glass bears and received 8 more, would he have 15? The answer is “Yes,” so the computed answer is correct.

SQRQCQ

Here is another example:

Each school T-shirt costs the same amount. Anita paid \$15 for 3 T-shirts. What was the cost of each shirt?

The following steps show student thinking:

- SURVEY** *I notice that Anita has 3 shirts and paid \$15 total for the 3 of them.*
- QUESTION** *I'm looking for the cost of each of the 3 shirts Anita bought.*
- REREAD** *Since the problem says that each shirt costs the same amount, I know that the cost I find will be the same for each one.*
- QUESTION** *If I know that 3 shirts cost \$15, then what operation do I use to find the cost of one shirt?, or 3 times the cost equals \$15, so I must divide \$15 by 3 to find the cost of one shirt (since division is the inverse of multiplication).*
- COMPUTE** $3 \times N = 15$
 $(3 \times N) \text{ divided by } 3 = 15 \text{ divided by } 3$
 $N = 5$
- QUESTION** *If one shirt costs \$5, would 3 shirts cost \$15, or Is it true that 3 time \$5 is \$15? Yes it is, so the answer must be correct.*



soRocC